## Photon Calibrator h(t) Preliminary Characterisation

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### Setup and Power Calibration

### h(t) Cross-Check

Arcadia Meeting

### ((O))**Experimental Setup and Calibration**



March 15 2010



## Build PCal Calibration Maps

**Issues:** Powermeter centering

#### Procedure

•The motorised sensor of the powermeter scans the beam on 5x5 positions

 For each position the conversion factor is measured

$$a_i = \frac{P_{mes,i} - offset}{Ca\_NI\_PCal_{m,i} - offset}$$

Build the map





combined function



over the different injected powers

Arcadia Meeting

## **PCal Calibration Results**

Reference	Injection	Reflection	Transmission	Losses
	(W/V)	(w/v)	(W/V)	(% of reflection)
Fit (all scans)	0.624	0.550	0.082	-0.2

Method	Losses (% of reflection)	Variation of the reflection factor (%)
Fit (scans 80 mW)	-1.3	0.4
Fit (scans 350 mW)	-2.6	0.1
4 points (all scans)	1.3	0.1
1 point (all scans)	1.5	-0.7

Systematic errors ±2.6%

## Calibration Systematic Errors

	Systematic errors (+-)
Geometry	1%
Sensor non uniform spatial response	1.5%
Powermeter absolute calibration	3%
Power measurements	2.6%

#### Pref , $\Delta L_{pend}~$ is understood within $\pm~8.0\%$



**Principle:** Produce known motion by acting NI mirror

Frequency domain comparison:

$$\mathbf{TF}\left[ \frac{h_{rec}.L}{\Delta L_{pend}} 
ight]$$

# Ideal case:Modulus $\rightarrow$ 1Phase $\rightarrow$ 0Evaluation of h(t) reconstruction errors





### Elastic Deformations Induced by PCal

Origin

Localized force acting on an object induces localized deformations (thermo elastic, in phase with the force, flat in frequency).

#### • GEO (Stefan Hild) [1]

Induced deformations with photon calibrator is confirmed

Local deformations are seen and interpreted by the interferometer as a **global displacement**.

Overlap of ITF beam and deformations

$$\Delta L_{tot} = \Delta L_{pend} + \Delta L_{dej}$$

■Our analysis Beams offset x₀ impact in

overlap calculus

$$\Delta L_{tot} = \Delta L_{pend} + \Delta L_{def}(x_0)$$
$$= (1 - \frac{f^2}{f_0^2(x_0)}) \Delta L_{pend}$$

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$$\frac{\Delta L_{rec}}{\Delta L_{pend}} = \left(1 - \frac{f^2}{f_0^2(x_0)}\right)$$

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[1] Photon pressure induced test mass deformation in gravitational-wave detectors S. Hild and al, Classical And Quantum Gravity (2007)



### Elastic Deformations Induced by PCal

0 phase [deg]

-200

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 $\Delta L_{rec}$ 

 $\Delta L_{pend}$ 

10

10

frequency (Hz)

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## (((0)))

## Conclusion

### Photon Calibrator is installed

Power calibration: 8 % systematic errors

### h(t) checked with PCal:

 Amplitude and phase within systematic errors
 Mirror deformations must be included: leading effect above 1840 Hz